



# ALGEBRA SEMINAR

## Stable perfect isometries of blocks of finite groups

By

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**Abstract:** This is joint work with Robert Boltje. Let  $(K, O, F)$  be a  $p$ -modular system which is large enough for finite groups  $G$  and  $H$ . Let  $A$  be a  $p$ -block of the group algebra  $OG$ , and  $B$  be a  $p$ -block of the group algebra  $OH$ .

In 1990, Michel Broue' introduced the definition of a perfect isometry between the  $p$ -blocks  $A$  and  $B$  which is a generalized  $K$ -valued character leading to a special bijection between the sets of ordinary irreducible characters of  $A$  and  $B$ . In this talk, we introduce and investigate the notion of stable perfect isometries - a way to consider perfect isometries up to generalized projective characters of the corresponding  $p$ -blocks.

Our interest lies in understanding in which cases a stable perfect isometry can be lifted to a perfect isometry. We will answer this question for the  $p$ -block  $OP$  where  $P$  is an abelian  $p$ -group.

**Date:** May 11, 2022

**Time:** 19:00 (UTC+3)

**Place:** ZOOM. To request the event link, please send a message to [barker@fen.bilkent.edu.tr](mailto:barker@fen.bilkent.edu.tr)