



ODTU-Bilkent Algebraic Geometry

Asymptotic critical values of a polynomial map

By

Susumu Tanabé
(Galatasaray)

Abstract: The bifurcation locus of a polynomial map f is the smallest subset $B(f)$ such that f realises a local trivialisation in the neighbourhood of each point of the complement to $B(f)$.

It is known that the bifurcation locus $B(f)$ is the union of the set of critical values $f(\text{Sing } f)$ and the set of bifurcation values at infinity which may be non-empty and disjoint from the critical value set $f(\text{Sing } f)$. It is a difficult task to find the bifurcation locus in the cases for a polynomial depending on more than three variables. Nevertheless, one can obtain approximations by supersets of $B(f)$ from exploiting asymptotical regularity conditions. Jelonek and Kurdyka established an algorithm for finding a superset of $B(f)$: the set of asymptotic critical values.

In this talk, we survey the history of the research of the bifurcation locus and discuss recent results on the asymptotic critical values.

Date: 10 December 2021, Friday

Time: 15:40 (GMT+3)

Place: Zoom

To request the event link, please send a message to sertoz@bilkent.edu.tr